Interdependencies in Price Movements: A case of Gold and Stock Market



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Risk mitigation process is dependent on the predictive capability of models; but no model is perfectly able to capture the price structures. Gold which is one of the hedging tools has attracted less research attention compared to other asset classes. This paper examines the movements of gold price vis-a-vis stock market. A series of univariate and multivariate GARCH models applied discard the dependencies in the two markets. The impulse response validates the results obtained. Hence dynamic relationship among gold and stock market does not exist. However, gold market shows persistence of volatility.

Key words: Gold Return, Multivariate GARCH, Market Spillover, Contagion Effect, Volatility Persistence

1. Introduction

Asset price modeling continues to be a well investigated area in financial research. This is mainly because of two facts; one is lack of consensus about the short and long term behavior of the asset prices in various markets over different time periods. The other is the frequent emergence of powerful econometric tools capable of investigating the market movements. However, unlike pure financial assets such as stocks, bonds or currencies, the gold market received less attention in terms of analyzing the price and return behavior. Well standardized international gold market exhibits data patterns similar to stock or bond markets. Apart from the significance of gold as a secure asset, gold price is used as an economic indicator especially in predicting inflation (Garner, 1995; Koeing, 1996; Haubrich, 1998 and Sam and Li, 2004). From empirical perspectives, there are evidences suggesting existence of long memory in gold returns (Booth et al (1982). Ball et al. (1982), on the other hand, identified the presence of short-term memory. The problem of conditional heteroscedasticity is also displayed in gold data (Akgiray et al., 1991; Frank and Thanasis; 1989). Gold being an asset showing attributes of a commodity and a financial asset requires further analysis in the domains of price volatility, persistence and spillover behaviors.

In this paper, we investigate the price movements in the gold market to detect non-linear dependencies. There are clear cut evidences that economic system need not be linear (Piotr and Witold, 2012). A broad category of methods have been employed to examine the issue of price dependencies of various asset classes. Distributional properties of asset returns largely follow stochastic process and are often different from normality (Yin Wong and Kon, 1993). There are evidences of nonstationarity in the return distributions (for example, So, 1987; Ahn and Reinsel, 1990), Antoniou and Pericli (2005). Considering the distinctive features of the financial time series such as volatility clustering, leverage effects, persistence and memory levels of volatility, large amount of empirical attempts applied models of ARCH/GARCH family initiated by Engle (1982) and popularized by Bollerslev (1986) and Taylor (1986). However, empirical results show that simple parameterization of a particular type of GARCH models need not necessarily accomplish the objective of describing asset returns (see for example, Andersen et al., 2006, and Bauwens et al., 2006). Therefore, we apply major classes of GARCH model and examine their predictive abilities. Both univariate and multivariate models of GARCH class are employed in this study. In the beginning, the work uses GARCH (1,1) specification to detect the persistence level of volatility. Proceeding further, a series of models are used to study leverage effect, spillover pattern, risk-premium effects, absolute returns and power transformation factors etc. Finally, Diagonal BEKK specification is used to determine the contagion effect between gold and stock markets.

2. Methodology

In this empirical work, we use a variety of GARCH models, as they are found to be the appropriate models in studying financial asset prices and related areas. We begin with basic GARCH (p,q) specification in order to detect the volatility pattern in the gold market and stock market. The model specification is given as follows.

$$h_{t} = \alpha_{0} + \sum_{i=1}^{q} \alpha_{i} \varepsilon_{t-i}^{2} + \sum_{j=1}^{p} \beta_{j} h_{t-j}$$
(1)

Where α_0 captures the long-run average volatility. The terms α and β are the ARCH and GARCH coefficients; q is the order of the moving average ARCH terms and p is the number of the autoregressive GARCH terms.

Notably, Standard GARCH model does not allow to measure asymmetric behaviour of the volatility parameter. As we are interested in understanding how volatility responds to good and bad news, following Abhyankar (1998), we apply Exponential GARCH (EGARCH) specification popularized by Nelson (1991). A general conditional variance framework of EGARCH (1,1) is given below.

$$\ln(h_{t}) = \omega + \theta \left[\frac{\varepsilon_{t-1}}{\sqrt{h_{t-1}}}\right] + \gamma \left[\frac{\varepsilon_{t-1}}{\sqrt{h_{t-1}}}\right] - E \left(\frac{\varepsilon_{t-1}}{\sqrt{h_{t-1}}}\right) + \phi \ln(h_{t-1})$$
(2)

According to the EGARCH representation, the variance is conditional on its own past values as well as on past values of the standardized residuals. The persistence of volatility is measured by ϕ for gold returns. The conditional variances are finite if $\phi < 1$. The coefficients γ measures the ARCH effects and θ captures the asymmetric behavior. The coefficients of ARCH term, γ determines the spillover behavior of the markets in such a way that a significant negative value indicates that for a given decrease in volatility of the market would bring about a decrease in volatility of the other market. Leverage term is expected to be negative to convey that market reacts more to negative news than to positive (good) news. The lag truncation length (p and q) is determined using Likelihood Ratio (LR) tests and we choose EGARCH (1,1) specification.

GARCH in Mean and Power GARCH are also used to study the risk premium effects and impact of absolute returns and power transformation. The model frameworks are provided below for both GARCH M and PARCH specifications respectively in equations (3) and (4).

$$\sigma_t^2 - \omega + \sum_{j=1}^{q} \beta_j \, \sigma_{t-j}^2 + \sum_{k=1}^{q} \alpha_i \, \epsilon_{t-i}^2 + \mathbf{Z}_t' \pi$$

$$\sigma_t^{\delta} = \omega + \sum_{j=1}^{q} \beta_j \, \sigma_{t-j}^{\delta} + \sum_{i=1}^{p} \alpha_i \, (|\epsilon_{t-i}| - \gamma_i \, \epsilon_{t-i})^{\delta}$$
(4)

In the multivariate GARCH class of models, many developments have been reported since the first VEC model of Bollerslev et al (1988). The VEC model presumes that every conditional variance and covariance is a function of all lagged conditional variances and covariances, as well as lagged squared returns and cross-products of returns. The model is shown below:

$$vech(H_t) = C + \sum_{j=1}^{q} A_j vech(\varepsilon_{t-j}\varepsilon'_{t-j}) + \sum_{j=1}^{p} B_j vech(H_{t-j})$$
(5)

Where *vech* () is an operator that stacks the columns of the lower triangular part of argument matrix, H_t is the covariance matrix of the residuals, *C* is an N(N+1)/2 X I vector, A_{j_i} and B_j are N(N+1)/2 X N(N+1)/2 X parameter matrices and ε is an *NX I* vector.

Baba, Engle, Kraft and Kroner (1990) introduced a model called BEKK model that ensures positive definiteness. This model can be considered as a restricted version of the VEC model. In this model, a new parameterization of the conditional variance matrix H_t was defined. The BEKK Model is given by equation (6).

$$H_{t} = CC' + \sum_{j=1}^{t} \sum_{k=1}^{m} A'_{kj} \, e_{t-j} e'_{t-j} A_{kj} + \sum_{j=1}^{t} \sum_{k=1}^{m} B'_{kj} \, H_{t-j} B_{kj}$$
(6)

Where H_t represents the conditional variance-covariance matrices; A_{kj} , B_{kj} and C are NXN parameter matrices and C' is a lower triangular matrix.

The first order BEKK model is given by equation (7).

$$H_{t} = CC' + A' \varepsilon_{t-1} \varepsilon_{t-1}' A + B' H_{t-1} B$$
⁽⁷⁾

The BEKK model has also its diagonal form by assuming A_{kjr} and B_{kj} are diagonal matrices. The BEKK model is not linear in parameters. In this model, the elements of the symmetric matrix A measures the degree of market shocks from stock market to gold market and the elements of the symmetric matrix B indicate the persistence in conditional volatility between the two markets. The model ensures that the conditional variance-covariance matrices H_t is positive definite if atleast one of C or B is of full rank.

3. Data Specification

Our study is based on gold price and stock index value. The daily sample spans from November 2007 to November 2013 inclusive for a total of 1604 observations for both series of the Financial Times Stock Exchange 100 index (FTSE 100) and gold price. FTSE 100 prices is taken as a representative sample of stock prices in the European region, as this is the stock index of 100 large and active shares listed on the London Stock Exchange (LSE). FTSE 100 daily closing price data is

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acquired from LSE. The daily gold price adjusted in Pound is obtained from Bullion Rates. The selection of both price series is from same market region so as to ensure the logic for comparison.

Price figures are converted into daily returns for both FTSE 100 and gold samples, calculated as the first difference of the log value of the closing price. Statistical properties of the sample data are given in table 1 below.

	Mean	Median	Maximum	Minimum	Std. Dev.	Skewness	Kurtosis	Jarque-Bera	Probability
FTSE 100 Return	0.0028	0.0758	9.0873	-10.3285	1.4577	-0.9962	14.4807	9068.726	0.00
Gold Return	0.0289	0.0424	10.68935	-9.12407	1.3580	-0.3134	9.1954	2589.958	0.00
FTSE 100	5557.518	5685.801	6840.342	3512.104	695.719	-0.70163	0.0695	174.3047	0.00
Gold	4837.071	4939.740	7131.620	2672.260	1208.007	-0.04367	1.6273	126.3589	0.00

Table 1 Descriptive S	Statistics
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Gold reports a better daily return than the stock during the period with a value of 0.0289 as against 0.0028 for the stock index. Standard deviation, a light measure of risk, is less with the gold return compared to stock returns. All the four series show the evidence of skewness and the effect of skewness may be negative which describes the departure from the symmetry. The values of kurtosis show more than three in both return series indicating non-normality behavior. In addition, the Jarque-Bera values reject the null hypothesis that the price and return series are normally distributed as the associated probability values are all zero.

In order to study the properties of data, each time series we use in this study is subjected to a check for stationarity. The Dickey-Fuller test was separately employed for price and return series of both stock index and gold symbols. Table 2 reports the result of unit root test. It is evident that stock and gold price series are difference-stationary.

Table 2 Unit Root Test

			-		
r	Test Statistic	p value			
Gold	Z(t)		-1.590	0.4885	
Stock Inde	x Z(t)		-1.304	0.6272	
Gold return	n Z(t)		-39.722	0.0000	
Stock Inde	x return	Z(t)	-36.656		0.0000
		2 120 501	a a ca b t t a a t	0 0	

*Critical values at 1%= -3.430, 5%=-2.860 and 10%= -2.570

The unit root hypothesis (i.e., series is non-stationary) is found true in the closing price series, while the return series are stationary in all the cases.

Phillips-Perron test for unit root is carried out on original price series and log return series of both stock index and gold market. The test result is summarized below.

		Statistic	Value		10% Critical Value		
	Z(rho)) -3.133	-20.700	-14.100 -2.860	-11.300		
	N	IacKinnon app	roximate p-	value for $Z(t) =$	0.4983		
	FTSE 100) Test 1% Statistic	Critical Value		10% Critical Value		
) -5.201	-20.700	-14.100 -2.860	-11.300		
		IacKinnon app	roximate p-v	value for $Z(t) = 0$		<u> </u>	¥7. ¥
Gold Return Test 1% C	Critical	5% Critical V	10% Crit Value	ical Value		Statistic	Value
	Z(rho) Z(t)			700 -14.10 430 -2.86			
	N	IacKinnon app	roximate p-v	value for $Z(t) = 0$	0.0000		

Table 3 Phillips-Perron Test for Unit Root

FTSE 100	Test 1%	6 Critical 5%	% Critical 10	% Critical
Return	Statistic	Value	Value	Value
Z(rho)	-1480.047	-20.700	-14.100	-11.300
Z(t)	-36.694	-3.430	-2.860	-2.570

Another test called DF-GLS is also performed as a modified Dickey–Fuller t test for a unit root in which the series has been transformed by a generalized least-squares regression. The maximum lag length is 24 chosen by Schwarz criterion. The result confirms the finding reported earlier at 1 percent, 5 percent and 10 percent intervals. The figures are omitted for brevity.

In addition to the tests carried out above, we perform Bartlett's periodogram-based test for white noise. Bartlett's test is a test of the null hypothesis that the data come from a white-noise process of uncorrelated random variables having a constant mean and a constant variance. The result is presented graphically for each series under consideration.

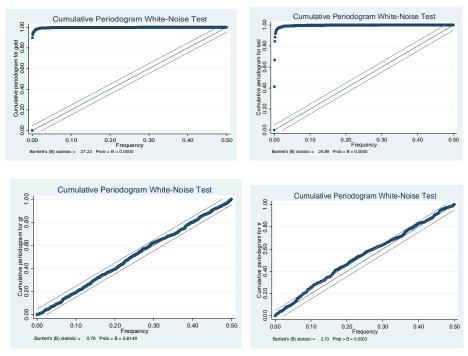


Figure 1 Bartlett's Periodogram

We can see in the first two graphs for gold and index price series, that the values denoted by dark colored points do appear outside the confidence bands. We also have confirmation from the test statistic, at a p-value of 0.000, that the process is significantly different from white noise. However, last two graphs for return series for gold and index show that the values fairly appear in the confidence bands. On detecting the non-stationary patterns in the original price series of gold and stock index, different heteroscedastic models from ARCH/GARCH family class are tried in this work. Each model checks out the interdependencies between the gold market and stock market during the period.

4. Results and Discussions

This section deals with various results and findings obtained out of the estimation process. The results are divided among the areas of volatility clustering, persistence, asymmetric behavior and price interdependence and contagion effects.

4.1 Volatility Modeling

On detecting the ARCH effects, we employed a series of models in order to investigate the volatility behavior of the market and also to determine the effectiveness of each model. For the GARCH (p,q) model, the values of p and q are set one according to the Schwarz Information Criterion (SIC). The result of GARCH (1,1) estimation for index return and gold return is presented in Table 4.

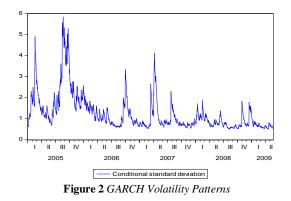
Table 4 GARCH Estimation Output

Dependent Variable: GR (Gold Return) Method: ML - ARCH (Marquardt) - Normal distribution Convergence achieved after 36 iterations Pre-sample variance: backcast (parameter = 0.7)

Variable	Coefficient	Std. Error	z-Statistic	Prob.
С	0.088882	0.022375	3.972417	0.0001
TR	0.021905	0.017389	1.259706	0.2078
	Variance	Equation		
С	0.030227	0.002675	11.30025	0.0000
$\text{RESID}(-1)^2$	0.146044	0.013614	10.72786	0.0000
GARCH(-1)	0.851042	0.010872	78.27564	0.0000
TR	0.006277	0.009784	0.641545	0.5212
R-squared	-0.001755	Mean de	pendent var	0.002814
Adjusted R-squared	-0.002381	S.D. dep	endent var	1.457762
S.E. of regression	1.459497	Akaike ii	nfo criterion	2.963493
Sum squared resid	3410.339	Schwar	z criterion	2.983629
Log likelihood Durbin-Watson stat	-2369.240 1.820959	Hannan-G	Quinn criter.	2.970969

It is clear that the coefficients of GARCH constant (α_0), ARCH (α_1) and GARCH (β_1) are significantly different from zero and are within the parametric restrictions. This implies greater impact of shocks (news) on market returns and presence of volatility clustering. A large shock in a day leads to a large (conditional) variances the following day, indicating the impact of recent news on price changes. Again, the higher value of GARCH implies long memory of the model to the shocks. More importantly, the gold return is found unaffected by index returns giving a notion that both move independently. The findings also discard the notion of market efficiency because in an efficient market, the gold prices follow stochastic movements leaving no scope for historical analysis to reap any abnormal profit. Asset returns do not exhibit perfect random walk behavior. Many of the chosen factors, including own past information set, explain them.

Figure 2 depicts the volatility patterns of gold market during the sample period. The model does a good job in capturing volatility clustering that has occurred at different intervals as is seen in the plot.



4.2 Asymmetric Behavior of Volatility

EGARCH specification provides a structure of asymmetric nature of market volatility. The appropriate model appears to be EGARCH (1,1) and the estimation output is given in the Table 5. In the model specification, all parameters are significant except the index return coefficient. The persistence of volatility is visible and also the asymmetric nature. The gold market volatility is a function of past innovations. A negative value of asymmetric parameter suggests that the market is rather sensitive to bad information than to positive ones. This is a general trend in asset markets.

Table 5 EGARCH Estimation Output

Dependent Variable: GR (Gold Return) Method: ML - ARCH (Marquardt) - Normal distribution Convergence achieved after 34 iterations Pre-sample variance: backcast (parameter = 0.7)

Variable	Coefficient	Std. Error	z-Statistic	Prob.
С	0.076501	0.020665	3.701969	0.0002
GR	0.013101	0.014361	0.912250	0.3616
	Variance	Equation		
C(3)	-0.215157	0.014745	-14.59156	0.0000
C(4)	0.302894	0.019546	15.49610	0.0000
C(5)	-0.132599	0.012312	-10.76948	0.0000
C(6)	0.960762	0.003359	286.0041	0.0000
C(7)	0.012856	0.011854	1.084581	0.2781
R-squared	-0.001416	Mean dep	endent var	0.002814
Adjusted R-squared	-0.002041	S.D. depe	endent var	1.457762
S.E. of regression	1.459249	Akaike inf	fo criterion	2.918158
Sum squared resid	3409.183	Schwarz	criterion	2.941649
Log likelihood	-2331.903	Hannan-Q	uinn criter.	2.926880
Durbin-Watson stat	1.822071			

4.3 Risk Premium Effects

The return of a security may depend on its volatility (risk). This kind of risk-return relationship is established through GARCH- in- mean (GARCH- M) model which adds a heteroscedasticity term into the mean equation. The mean equation estimation outputs are separately shown for standard deviation and variance in the Table 6 and Table 7. Variance equation parameters are not provided, as the results validate the prior findings and also less relevant in the present context.

Tuble & Gritten in SD						
Variable	Coefficient	Std. Error	z-Statistic	Prob.		
(GARCH) ^(1/2)	0.013686	0.066381	0.206178	0.8367		
С	0.077578	0.056387	1.375812	0.1689		
TR	0.021829	0.017395	1.254958	0.2095		

Table 6 GARCH M -SD

Table 7 GARCH M -Variance

Variable	Coefficient	Std. Error	z-Statistic	Prob.
GARCH	0.004568	0.020763	0.220028	0.8258
С	0.085235	0.026872	3.171897	0.0015
GR	0.021885	0.017384	1.258865	0.2081

Symmetric GARCH (1,1)-in -Mean estimates show insignificant but positive risk-return relationship in the gold market. The volatility coefficient (risk premium) in both standard deviation (0.0136) and variance (0.0045) neglects a dynamic risk-return pattern. This is against the general notion of a significant risk-return relationship. However, there are evidences for insignificant but positive relationships (see Baillie and DeGennarro;1990)

4.4 Absolute Returns and Power Transformations

A common finding in much of the empirical finance research is that although asset returns contain certain amount of serial correlation, there exists correlation between absolute returns and their power transformations. Ding et al (1996) investigated the autocorrelation structure of power of the absolute return of daily S&P 500 and found that absolute return has significant positive autocorrelations for long lags. In order to carry out such an analysis on the gold market, we model the mean equation using an MA (1) process. The test result is provided in Table 8.

Variable	Coefficient	Std. Error	z-Statistic	Prob.
С	0.078600	0.013507	5.819394	0.0000
GR	0.004824	0.009651	0.499813	0.6172
	Variance	Equation		
C(3)	0.038053	0.003737	10.18255	0.0000
C(4)	0.175247	0.013437	13.04240	0.0000
C(5)	0.585338	0.042092	13.90616	0.0000
C(6)	0.842900	0.009847	85.60318	0.0000
C(7)	0.007623	0.004769	1.598236	0.1100
C(8)	0.648987	0.079722	8.140624	0.0000
R-squared	-0.002250	Mean dependent var		0.002814
Adjusted R-squared	-0.002876	S.D. dependent var		1.457762
S.E. of regression	1.459857	Akaike info criterion		2.896093
Sum squared resid	3412.023	Schwarz criterion		2.922941
Log likelihood	-2313.219	Hannan-Quinn criter.		2.906062
Durbin-Watson stat	1.821262			

It is noted that the estimated power GARCH model for the gold return exhibits the high level of persistence (0.842). It is concluded that the estimated autocorrelations of the power-transformed absolute observations start high, and decrease very slowly.

4.5 The Contagion Effect Between Gold And Stock Markets

According to Forbes and Rigobon (2002), contagion effect is a significant increase in correlation between markets. Such effects are identified in many empirical researches carried out mainly in the area of stock market and crude oil prices (See Filis, 2010; Mollick and Assefa, 2013 and many others). As mentioned earlier, the gold market received less attention in this regard. The link between gold prices and stock market has important implication for investment and hedging.

We make use of diagonal BEKK- GARCH (1,1) and VECH models to study the volatility spillover between gold market and stock market. Both the models are estimated using maximum likelihood techniques.

Table 9 reports the BEKK- variance-covariance estimated parameters. The conditional variance of the diagonal BEKK-GARCH model includes two variables namely gold return and stock index return. In Table 10, the estimation output of VECH-GARCH specification is presented.

 Table 9 Covariance specification: Diagonal BEKK

GARCH = M + A1*RESID(-1)*RESID(-1)*A1 + B1*GARCH(-1)*B1 + E1.*TR

- M is an indefinite matrix
- A1 is a diagonal matrix
- B1 is a diagonal matrix
- E1 is an indefinite matrix*

Transformed Variance Coefficients

	Coefficient	Std. Error	z-Statistic	Prob.			
M(1,1)	0.033954	0.002955	11.49083	0.0000			
A1(1,1)	0.379818	0.013705	1.01400	0.0085			
B1(1,1)	0.918349	0.004714	194.8289	0.0000			
E1(1,1)	-0.085160	0.003600	-0.65802	0.0056			
* Coefficient matrix is not Positive Semi Definite.							

 Table 10 Covariance specification: Diagonal VECH

GARCH = M + A1.*RESID(-1)*RESID(-1)' + B1.*GARCH(-1) + E1.*TR

M is a scalar

_

A1 is a rank one matrix

B1 is a rank one matrix

E1 is a rank one matrix

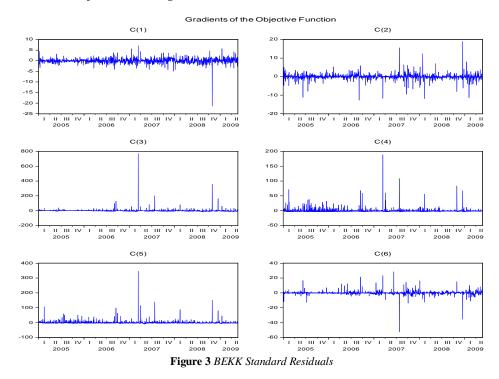
Transformed Variance Coefficients					
	Coefficient	Std. Error	z-Statistic	Prob.	
M A1(1,1) B1(1,1) E1(1,1)	0.231196 0.759816 0.843734 3.14E-05	0.381977 1.249156 0.026030 0.138444	0.605261 0.608263 32.41422 0.000227	0.5450 0.5430 0.0000 0.9998	

The result shows absence of significant shock transmissions between stock market and gold market. Diagonal BEKK model and VECH model offer similar results that again confirm the findings obtained in the uni-variate GARCH computations. However, there is evidence of persistence of conditional volatility between the two markets. BEKK standard residuals are plotted in figure 3.

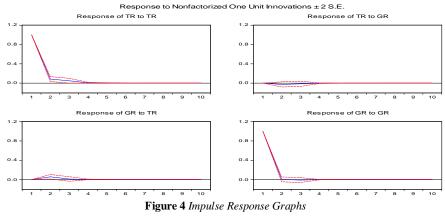
Table 11 shows the test result of GARCH effects on the standardized residuals of the BEKK model. It can be concluded that the GARCH effect has largely disappeared. From the Ljung-Box statistic based on the auto correlation test we tend to accept the null hypothesis that series is the random.

Table 11 Residual Portmanteau Tests for Autocorrelations Lags O-Stat Prob. df

Lags	Q Duit	1100.	ui
1	0.88162	0.0006	1
2	0.71680	0.0004	2
3	0.79141	0.0013	3
4	0.44785	0.0016	4
5	0.50997	0.0024	5
6	0.86376	0.0044	6
7	0.51723	0.0046	7
8	0.75244	0.0054	8
9	0.76894	0.0096	9
10	0.13589	0.0036	10
11	0.59078	0.0004	11
12	0.60517	0.0008	12



The impulse response graphs plotted in figure 4 represent how stock index return (TR) responds to shocks of both index equation and gold equation. Similarly, response behavior of gold to shocks of both gold equation and index equation is also depicted in the figure. The line graph in the upper left-hand corner shows that following a shock to the index equation, index twists around for some time, but later the response has effectively dissipated. Gold return (GR) also exhibits similar response to shocks of GR. In contrast, TR and GR are effectively unresponsive to the shocks of each other. This finding reinforces the results obtained in GARCH family estimations. The dynamic and significant relationship among gold price and stock price is absent.



5. Conclusions

In this paper we have investigated the relationship between gold and stock market. The results show that there exists no specific interdependence between the stock price and gold price during the investigated period. Lack of spillover may be because of the fact that any innovation originated in one market is offset by other innovation of opposite sign, leading to a weak or zero effect of stock market on gold market as noted by Jorion (1990) for exchange rate volatility. Another possible explanation is that volatility spillovers are neutralized by the effective use of gold for hedging purpose. Also, a minor chance is that different sets of investors operate in two markets with sole focus on either stock or gold investment. A scrutiny of sample of investor profile may also be required to support any argument.

Risk – premium effect is also absent in the case of gold market. However, an insignificant but positive risk-return relationship in the market can't undoubtedly reject the general hypothesis of risk-return togetherness.

Persistence of volatility is found in the market in such a way that market is more responsive to negative effects. A common behavior of asset market wherein low returns are followed by lower returns is found in the case of gold market as well.

In brief, neither a bidirectional price spillover nor a volatility transmission occurs between the gold market and stock market during the study period. Portfolio selection is to be more inclusive to gain the potential benefits of hedging in either market.

6. References

- 1. Abhyankar, A., (1998), 'Linear and Nonlinear Granger Causality: Evidence from the UK Stock Index Futures Market', Journal of Futures Markets, Vol.18(5), 519 540.
- Ahn, S. K. and Reinsel, G. C., (1990), 'Estimation for Partially Non-Stationary Multivariate Autoregressive Models', Journal of the American Statistical Association, Vol. 85, 813-823.
- 3. Akgiray, Vedat G., Booth, Geoffrey., Hatem, John J. and Chowdhury, Mustafa., (1991), 'Conditional dependence in precious metal prices', The Financial Review, Vol.26 (3), 367–386.
- Andersen, T., Bollerslev, T., Christoffersen P. and Diebold, F., (2006), 'Volatility and Correlations Forecasting. In: Elliott G, Granger C, Timmermann A (Eds): Handbook of Economic Forecasting. Vol. 1.Elsevier B. V, Amsterdam, North-Holland, 778–878.
- 5. Antoniou, A., Koutmos, G. and Pericli, A., (2005), 'Index Futures and Positive Feedback Trading: Evidence from Major Stock Exchanges', Journal of Empirical Finance, Vol.12, 219 238.
- 6. Baillie, R. T., DeGennarro, R. P. (1990) "Stock returns and volatility", Journal of Financial and Quantitative Analysis, Vol. 25(5), 203–214.
- 7. Ball, C., Torous, W. and Tschogel, A., (1982), 'Gold and the weekend effect', Journal of Futures Markets, Vol.2 (2), 175–182.
- 8. Bartlett, M. S., (1955), 'An Introduction to Stochastic Processes with Special Reference to Methods and Applications', Cambridge: Cambridge University Press.
- 9. Bauwens, L., Laurent, S., Rombouts, J., (2006), 'Multivariate GARCH Models: A Survey', Journal of Applied Econometrics, Vol.21,79–110.
- 10. Bollerslev T., Engle R.F., Wooldridge J.M., (1988), 'A capital asset pricing model with time varying covariances', Journal of Political Economy, Vol.96, 116-131.
- 11. Bollerslev, T. (1986), Generalized Autoregressive Conditional Heteroscedasticity, Journal of Econometrics, Vol.31, 307-327.
- 12. Booth, G., Kaen, F. and Koveos, P., (1982), 'Persistent dependence in gold prices', Journal of Financial Research, Vol. 5 (1), 85-93
- 13. Ding, Z., Granger, C.W.J., Engle, R.F., (1993), 'A long memory property of stock market returns and a new model', Journal of Empirical Finance, Vol.1, 83–106.
- 14. Engle, R. F., (1982), 'Autoregressive Conditional Heteroskedasticity with Estimates of the Variance of the United Kingdom Inflation', Econometrica, Vol.50, 987-1007
- 15. Filis, G., (2010), 'Macro economy, stock market and oil prices: do meaningful relationships exist among their cyclical fluctuations?', Energy Economics, Vol. 32(4), 877-886.
- 16. Forbes, K.J. and Rigobon, R., (2002), 'No contagion, only interdependence: measuring stock and the 2008-2009 financial crisis', Energy Economics, Vol.36, 1-18.
- 17. Frank ,M. and Thanasis, S., (1989), 'Measuring the strangeness of gold and silver rates of return', The Review of Economic Studies, Vol.56 (4), 553-567.
- Garner, C. A., (1995), 'How useful are leading indicators of inflation?', Economic Review (Federal Reserve Bank of Kansas City), Vol.80 (2), 2–7.
- 19. Haubrich, J. G., (1998), 'Gold prices', Economic Commentary, Federal Reserve bank of Cleveland, 1-4,
- 20. Jacky, C. S.,(1987)' 'The Sub-Gaussian Distribution of Currency Futures: Stable Paretian or Nonstationary?', The Review of Economics and Statistics, Vol.69(1), 100-107
- 21. Jorion, P., (1990), 'The Exchange Rate Exposure of US Multinationals', Journal of Business, Vol.63 (3), 331-45.
- 22. Koeing, E. F., (1996), 'Should high prices of gold be of concern?', The Southwest Economy, Federal Reserve Bank of Dallas, Vol. 4, 6–9.
- 23. Mollick, A.V. and Assefa, T.A. (2013), 'US stock returns and oil prices: the tale from daily data market co-movement', Journal of Finance, Vol. 57 (5), 2223-2261.
- Nelson, D.B. (1991), 'Conditional Heteroscedasticity in Asset returns: A New Approach', Econometrica, Vol.59(2), 347-370.
- 25. Piotr Fiszeder and Witold Orzeszko, (2012), 'Nonparametric Verification of GARCH-Class Models for Selected Polish Exchange Rates and Stock Indices', Journal of Economics and Finance, 62(5), 430-449.
- Sam, M. and Li, H.C. (2004), 'Gold Price, Neural Networks and Genetic Algorithm', Computational Economics 23(2) 193–200
- 27. Taylor, S. J. (1986), Modelling Financial Time Series, Wiley, Chi Chester.
- Yin-Wong Cheung and Kon S. Lai (1993), 'Do Gold Market Returns Have Long Memory?', Financial Review, 28(2), 181–202